

**SF-666**

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Seat No.	
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**M.B.A. (Part - I) (Semester - I) (CBCS)**  
**Examination, December - 2016**  
**Quantitative Techniques for Management (Paper - III)**  
**Sub. Code : 68304**



Day and Date : Thursday, 29-12-2016

Total Marks : 80

Time : 10.30 a.m. to 1.30 p.m.

- Instructions :**
- 1) Question No.1 and Question No.2 is compulsory.
  - 2) Attempt any two questions from Question No. 3 to Question No. 5.
  - 3) Figures to the right indicate full marks.

**Q1)** In a survey, data on daily wages paid to workers of two factories A and B are as follows: [20]

Daily wages:	20-30	30-40	40-50	50-60	60-70	70-80	80-90
No. of workers (factory A)	15	30	44	60	30	14	7
No. of workers (factory B)	25	40	60	35	20	15	5

Find out:

- a) Which factory pays higher average wage?
- b) Wage of which factory have greater variability?
- c) Combined C.V.

**Q2)** Define correlation and explain various types of correlation. Seven methods of imparting business education were ranked by MBA students of two universities as follows: [20]

Methods of teaching:	I	II	III	IV	V	VI	VII
Rank by students of Uni. A	2	1	5	3	4	7	6
Rank by students of Uni. B	1	3	2	4	7	5	6

Calculate rank correlation coefficient and comment its value.

**P.T.O.**

- Q3) a)** Define Poisson distribution. **[10]**  
Number of accidents in a factory during a month follows Poisson distribution with mean 5. Find the probability that in certain month number of accidents in factory will be
- i) Less than 3.
  - ii) Between 3 and 5.
  - iii) More than 3.
- b) Explain the terms Type –I and II errors.  
A sample of 20 workers enrolled in a health program shows mean diastolic blood pressure 99 and sample S.D 32. Can you conclude that workers enrolled in program have diastolic blood pressure 75 recommended by doctors? (Take  $\alpha = 0.05$ ) **[10]**
- Q4) a)** Discuss the Chi – square test of goodness of fit. **[10]**
- b) Define probability mass function and distribution function.  
A scooter coming - off the production line can have 0,1,2,3, or 4 defects according to the p.m.f such that  $P(0) = 0.4$ ,  $P(1) = 0.25$ ,  $P(2) = 0.15$ ,  $P(3) = 0.1$ ,  $P(4) = 0.1$  Find the probability that a scooter has
- i) Two or more defects.
  - ii) Less than 3 defects.
  - iii) Not more than 1 defect.
  - iv) At most 1 defect.
  - v) No defect given that the scooter has not more than 1 defect. **[10]**
- Q5) Write short notes on any four:** **[20]**
- a) Properties of normal distribution.
  - b) Addition and multiplication laws of probability for two events.
  - c) T- test for mean.
  - d) Measures of dispersion.
  - e) Importance of regression in business forecasting.
  - f) Requirements of good average.

